

THE GEOLOGIC SOLUBILITY OF GOLD FROM 200-350°C, AND ITS IMPLICATIONS FOR GOLD-BASE METAL RATIOS IN VEIN AND STRATIFORM DEPOSITS

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ABSTRACT

Silicate and sulfide buffers that control the major element chemistry and pH of geothermal solutions in common geologic environments are used to investigate the "geologic" solubility of gold as a function of temperature and solution salinity. The geologic solubility of gold is much greater in low-salinity solutions, and for any given salinity is probably maximum at about 300°C. The selectivity of low-salinity solutions for gold and against base metals (which are carried as chloride complexes), and conversely, the selectivity of higher salinity solutions for base metals and against gold, explains the distinct bimodal metal contents of vein and stratiform deposits which have either high gold and little or no base metals, or lower gold and abundant base metals. The 300°C maximum in gold solubility could explain why gold veins tend to have somewhat lower maximum temperatures of formation than base metal veins and massive sulfide deposits. A basin evolution model is suggested that can account for both the metal ratios and locations of gold and base metal deposits in greenstone belts.

INTRODUCTION

It has been proposed that gold deposits are produced by the venting of magmatic fluids (eg. porphyry gold systems, Henley and Ellis, 1983), by convecting hydrothermal systems in subaerial settings (eg. the Taupo Rift Zone and its fossil analogues in New Zealand, Henley and Ellis, 1983), and by metamorphic dewatering (eg., greenstone-hosted gold deposits, Fyfe and Kerrich, 1983). The magmatic case is distinctive because magmatic fluids originate at higher temperatures, and because gold is probably precipitated where the magmatic fluids condense rather than decompress or boil. This paper focusses on gold deposited from non-magmatic (formation) waters.

It is convenient to distinguish the two kinds of non-magmatic gold veins. Gold veins in greenstone belts that hypothetically precipitate from venting metamorphic fluids will be referred to as "greenstone-hosted" deposits. Gold veins which precipitate from boiling fluids convecting in subaerial settings will be referred to as "epithermal gold" deposit.

Both epithermal and greenstone-hosted gold veins are remarkably low in base metals. Fyfe and Kerrich (1983) have pointed out that some greenstone-hosted gold

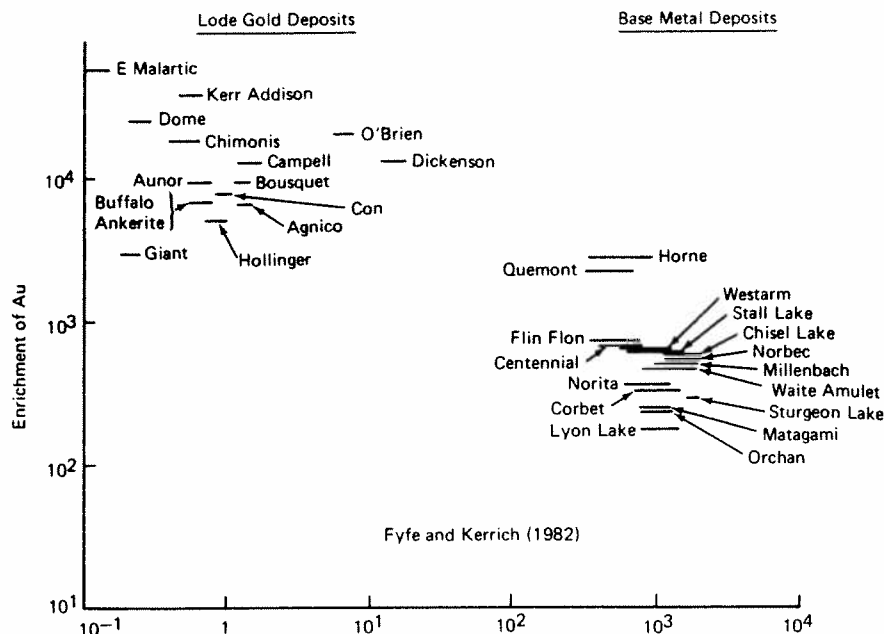


Fig. 1 The enrichment of gold and Cu + Zn in greenstone-hosted gold and base metal deposits relative to unaltered igneous rocks. The distinct bimodal populations require selection for gold and rejection of base metals in the lode gold deposits, and selection for base metals and relative rejection of gold in the massive sulfide deposits. Figure is from Fyfe and Kerrich (1983, Figure 4).

deposits contain less base metal than unaltered igneous rocks; at the same time they are strongly enriched in gold (see Figure 1). The lack of base metal is not due to absence of a leachable source. The Archean greenstone belts that contain the gold deposits also contain copper and zinc massive sulfide deposits (Figure 2), although the gold and base metal deposits tend to be separated geographically. The same is true of epithermal vein deposits. Epithermal base metal veins are generally not rich in gold, although gold may be a by-product. Epithermal gold veins tend to be low in base metals, although they may contain a few percent pyrite.

The distinct geochemical separation of deposits into two categories, gold-rich and base metal-poor, and base metal-rich and relatively gold-poor, requires that the hydrothermal fluids responsible for the gold deposits select (either in their transport or deposition) strongly for gold and against base metals, and that the solutions responsible for the base metal deposits do the converse—select strongly for base metals and against gold. This paper shows that the selectivity can be achieved by differences in the solubility of base and precious metals in the source solutions.

Drummond and Ohmoto (1985) have modeled precipitation of precious and base metals during boiling. They argue that almost all base and precious metals are precipitated from hydrothermal solutions by the time 10 wt% of the liquid is lost to steam. Recent work in New Zealand indicates that the hydrothermal solutions

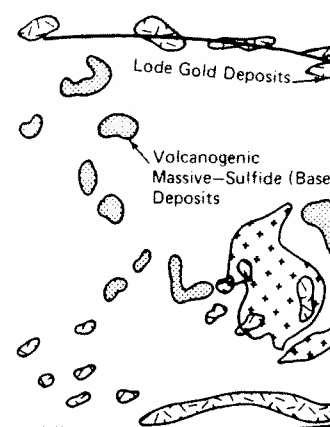


Fig. 2 The distribution of lode gold deposits and volcanogenic massive-sulfide (base metal) deposits within a greenstone belt, Quebec. From Drolet (1981).

there are nearly saturated with gold when the solutions lose H_2S and this indicates that the availability of H_2S in New Zealand, and confirms that H_2S precipitates gold. If boiling produces a hydrothermal solution, it can form massive sulfide deposits. If scarce metals are present in the more abundant base metal solutions, it is thus not the likely cause of the separation. It is argued that the chemistry of the hydrothermal solutions for precious metals is, by default, the result of the cumulation of metals in epithermal veins, which is geochemically reasonable.

THE EQUILIBRIUM CONCENTRATIONS OF METALS IN SOLUTIONS

The Problem with Relating

In moderate temperature (~300°C) hydrothermal solutions, metals are carried as bisulfide complexes (MS_2)

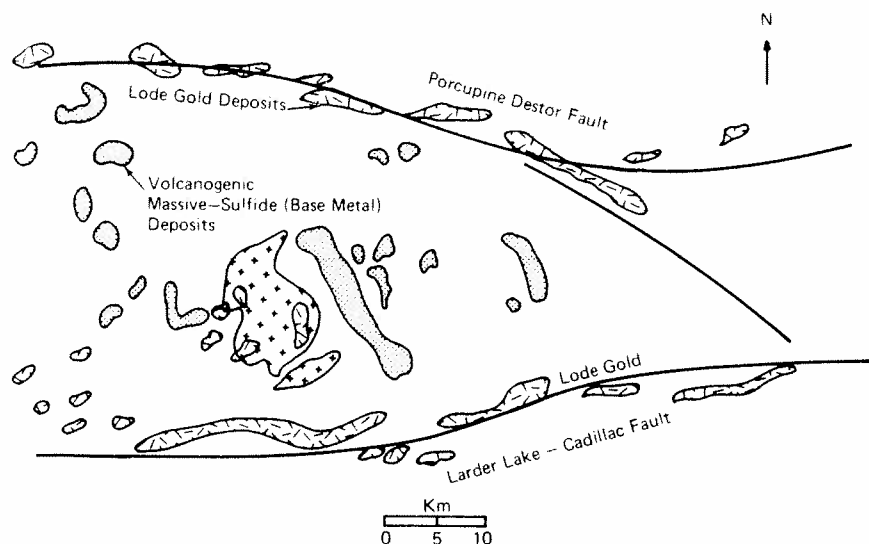


Fig. 2 The distribution of lode gold and massive sulfide deposits in the Abitibi greenstone belt, Quebec. Generalized from map compiled by Avramichev and Lebel-Drolet (1981).

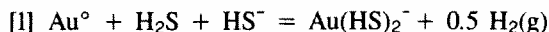
there are nearly saturated with gold and that essentially all the gold precipitates when the solutions lose H_2S during decompression (Brown, submitted). This indicates that the availability of leachable gold is not a problem, at least in New Zealand, and confirms that boiling (to atmospheric pressure) quantitatively precipitates gold. If boiling precipitates nearly all the base and precious metals from a hydrothermal solution, it cannot be the cause of metal selectivity in epithermal vein deposits. If scarce metals like gold are typically saturated in hydrothermal systems as the New Zealand data suggests, the solutions are likely to be saturated in the more abundant base metals also. The availability of gold and base metals is thus not the likely cause of metal selectivity either. Consequently it could be argued that the chemistry of the hydrothermal solutions where they leach base or precious metals is, by default, the best candidate for the observed selective accumulation of metals in epithermal and lode gold deposits. This paper shows this is geochemically reasonable.

THE EQUILIBRIUM CONCENTRATION OF GOLD IN HYDROTHERMAL SOLUTIONS

The Problem with Relating Gold Solubility to Eh, pH, m_{H_2S} and T:

In moderate temperature ($\sim 300^\circ C$) reduced hydrothermal solutions gold is carried as bisulfide complexes (Seward, 1973; Henley et al, 1984). Under conditions

where the $\text{Au}(\text{HS})_2^-$ complex dominates, gold solubility may be calculated from experimentally-determined (Seward, 1973, Table 4) equilibrium constants for the following reaction:



If the partial pressure of hydrogen is related to oxygen fugacity through the reaction for the breakdown of water, and HS^- is related to H_2S and pH by the reaction for the dissociation of H_2S ($\text{H}_2\text{S} = \text{HS}^- + \text{H}^+$), using an approximate log activity coefficient for $\text{Au}(\text{HS})_2^-$ of -0.168 and a unit activity of water, the solubility of gold as the $\text{Au}(\text{HS})_2^-$ complex may be written:

$$[2] \log m_{\text{Au}(\text{HS})_2^-} = \begin{matrix} 3.35 \\ 1.46 \\ -0.08 \\ -1.36 \end{matrix} + \text{pH} + 0.25 \log f_{\text{O}_2} + 2 \log m_{\text{H}_2\text{S}}$$

The vector of constants in the above equation refers, from the top down, to 200, 250, 300 and 350°C; m is molality, and f_{O_2} is the fugacity of oxygen. Values of the water and H_2S dissociation reactions used in calculating the constants were taken from Henley et al (1984). This reference supplies details and refinements of this method of computing gold solubility. If temperature, pH, f_{O_2} , and $m_{\text{H}_2\text{S}}$ are known, equation (2) allows the gold solubility to be easily calculated. Figure 3 shows the result for $\text{pH}=7$, $\log f_{\text{O}_2}=-35$, and $m_{\text{H}_2\text{S}}=100$ ppm. Figure 3 shows that gold solubility strongly decreases, under these conditions, as temperature increases.

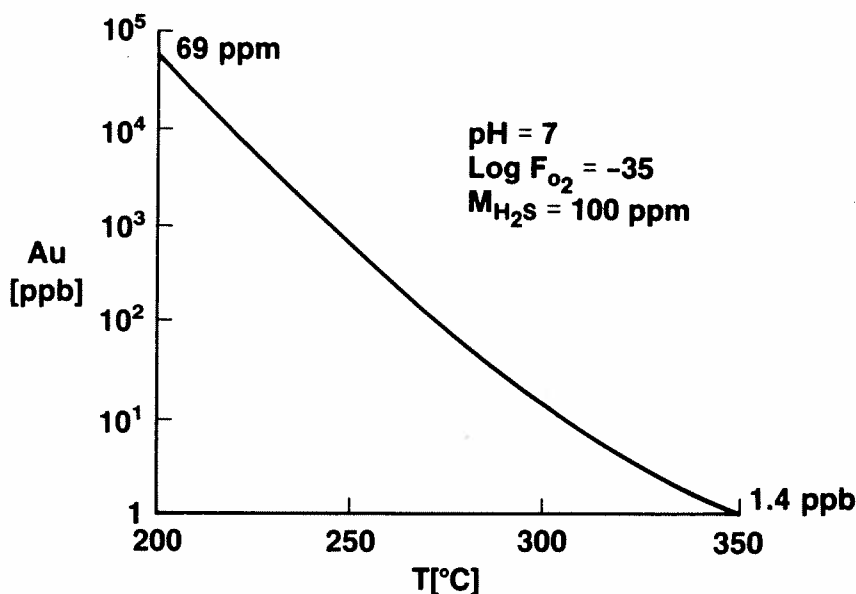


Fig. 3 Gold solubility calculated from equation [2] for specific values of f_{O_2} , $m_{\text{H}_2\text{S}}$, and pH with temperature.

The problem is, of course, that the activity of the complex under the specific conditions of f_{O_2} and $m_{\text{H}_2\text{S}}$ may all change with geological environments to produce results such as Figure 3 (in fact the

Gold Solubility in Silicate

A better approach to estimating the activity of chemical equilibria to calculate gold solubility at different temperatures and the independence of the first to utilize this approach was Giffenbach (1981) has generated a model for gold in hydrothermal solutions. A number of equilibria control all major gold solubility and have identified the equilibrium constants (Ellis et al 1983a, b). Reactions involving the composition of hydrothermal

The equilibria that Ellis, et al (1983) identified as important in controlling hydrothermal gold solubility in geochemical computer programs. The minerals we have chosen for the model are quartz and calcite. The redox reactions (ca-chlorite), and magnetite. Following discussion this hydrothermal chemistry to determine the gold solubility. EQ3's simulation of gold solubility in hydrothermal solutions as a function of temperature and pressure results are discussed.

Verification of the Equilibrium Constants of Natural Hydrothermal

Table 2 compares the results of the EQ3 calculations for the temperatures and salinities for the non-volatile species and

Figure 4 compares Na, K, and Ca (augmented by data from the EQ3 calculations for the

The problem is, of course that even assuming that $\text{Au}(\text{HS})_2^-$ is the only important complex under the specified conditions (which is roughly true), the pH, $\log f_{\text{O}_2}$ and $m_{\text{H}_2\text{S}}$ may all change strongly enough as a function of temperature in geological environments to preclude drawing any *geologic* conclusions from figures such as Figure 3 (in fact they do).

Gold Solubility in Silicate- and Sulfide-Buffered Solutions:

A better approach to estimating the geologic solubility of gold takes advantage of chemical equilibria to define how pH, H_2S and f_{O_2} vary as a function of temperature and the independent chemistry of the fluid. Ellis (1970) was perhaps the first to utilize this approach. It is the basis for the Na-K-Ca geothermometer. Giggenbach (1981) has generalized it to include the concentration of H_2S and CO_2 in hydrothermal solutions. Arnorsson and coworkers have demonstrated that mineral equilibria control all major components in geothermal solutions except chloride, and have identified the equilibria that are most important (Arnorsson, 1983; Arnorsson et al 1983a, b). Reed and Spycher (1984) illustrate the mineral-buffered composition of hydrothermal solutions in a particularly instructive way.

The equilibria that Ellis, Giggenbach, Arnorsson and Reed have shown are important in controlling hydrothermal solution chemistry can be easily expressed in geochemical computer programs such as EQ3 (Wolery, 1983). Table 1 shows the minerals we have chosen to constrain the chemistry of the calculated hydrothermal solutions. The thermodynamic data base used in the calculations is discussed in the appendix. Temperature and salinity (m_{NaCl}) are specified. The major cations are controlled by the aluminosilicates. Silica and CO_3^{--} are controlled by quartz and calcite. The redox state, iron, and H_2S are controlled by pyrite, daphnite (ca-chlorite), and magnetite. Electrical charge balance determines pH. In the following discussion this model is first verified by comparing its predicted hydrothermal chemistry to data from geothermal systems and Giggenbach's model. EQ3's simulation of gold solubility experiments is then verified. Finally the EQ3 model of Table 1 is used to study the geologic solubility of gold in hydrothermal solutions as a function of temperature and salinity, and the implications of these results are discussed.

Verification of the Equilibrium EQ3 Model Against the Observed Chemistry of Natural Hydrothermal Systems

Table 2 compares the observed deep (pre-boiled) solution chemistry at Broadlands, New Zealand, and at Mahio, Philippines to the chemistry calculated for the temperatures and salinities of these systems. Agreement is excellent for the non-volatile species and H_2S ; fair for CO_2 .

Figure 4 compares Na, K, Ca, and pH data from geothermal wells in Iceland (augmented by data from the New Zealand and Philippine wells in Table 2) to the EQ3 calculations for the model in Table 1. Agreement is good.

Table 1

Constraints that allow the equilibrium chemistry and gold solubility of hydrothermal solutions to be calculated by EQ3 (Wolery, 1983) as a function of temperature and m_{Cl^-} .

T	specified	
m_{Cl^-}	specified	
m_{Na^+}	equilibrium with albite	
m_{K^+}	"	" muscovite
$m_{Ca^{++}}$	"	" wairakite
$m_{Al^{+++}}$	"	" k-feldspar
$m_{SiO_2(aq)}$	"	" quartz
$m_{CO_3^{--}}$	"	" calcite
$m_{Fe^{++}}$	"	" 14A-daphnite
$m_{Fe^{+++}}$	"	" magnetite
m_{HS^-}	"	" pyrite
m_{Au^+}	"	" gold
m_{Ag^+}	"	" acanthite
pH	charge balance	

Figure 5 shows the Table 1 EQ3 model predicts the chemistry and pH of geothermal systems well at low salinities, but tends to predict too high concentrations of Na plus K for the predicted pH at higher salinities and temperatures. Loss of accuracy in the Debye Huckel activity coefficients at high salinities may be the cause of this discrepancy. Choosing different (but still reasonable) buffer minerals such as high albite, high sanidine, or zoisite does not help. The discrepancies at higher salinities do not affect the conclusions of this paper.

Figure 6 shows that for $T \leq 300^\circ C$ the calculated (Table 1 EQ3 model) H_2S concentrations in pre-boiled hydrothermal solutions agree well with Giggenbach's (1981) model and with Arnorsson et al's (1983a) geothermal data. At temperatures above $300^\circ C$ the EQ3 model diverges from Giggenbach's model and perhaps from the geothermal data. The agreement between the EQ3 model and geothermal observations indicates the pyrite-daphnite-magnetite buffer is not inappropriate. The H_2S concentrations would not be significantly different (ie. would plot at nearly the same locations in Figure 6) if pyrrhotite were used as a buffer mineral instead of 14A-daphnite. The H_2S concentrations are decreased but show the same form if hematite is substituted for magnetite as a buffer mineral.

Comparison of calculated and in two geothermal fields. Data from et al (1984, Figure 7.1). Activity assuming Na^+ , K^+ and Ca^{++} portions as in the calculations for the locations are plotted in

Broadlands, New Zealand

	T[°C]	$\Sigma Cl[ppm]$	pH	$\Sigma Na[ppm]$
obsv	261°C	1238	6.3	705
calc	261°C	1238	6.7	751

Mahio, Philippines

obsv	324°C	9124	5.8	5018
calc	324 °C	9124	5.8	4908

The choice of daphnite as a buffer mineral (1980), dictated by increase in temperature in geothermal systems calculated for the model in Table 1. The trend of the calculations if pyrrhotite is used instead of daphnite is not significantly different from the common alteration mineral in hydrothermal systems.

Figure 8 compares the H_2CO_3 plagioclase-calcite-clay model and in geothermal systems. H_2CO_3 concentration as a general check on the validity of the model (not the subject of interest in this paper). They are calculated at boiling begins, but are significant at 250° . Our model agrees well with Giggenbach's data. The data and models agree fairly well at the lower temperatures. The model depend on the extrapolation from $220^\circ C$ to higher temperatures (see between the theoretical H_2CO_3 concentration investigation, but is not critical to the model. The model does not depend on CO_2 chemistry.

Figures 4-8 show the model of pre-boiled solutions in presently-active geothermal systems. The model matches the geochemistry and pH of the solutions at the observed salinities and has the correct geochemistry. Individual geothermal systems are shown in Figure 11 and Ragnarsdottir et al (1984) show that most silicate minerals have similar

Table 2

Comparison of calculated and observed deep (pre-boiled) geothermal fluids in two geothermal fields. Data from Henley and Hedenquist (1983) and Henley et al (1984, Figure 7.1). Activity ratios for the observed data were calculated assuming Na^+ , K^+ and Ca^{++} exist in the natural solutions in the same proportions as in the calculations; the observed and calculated activity ratios for the locations are plotted in Figure 4.

Broadlands, New Zealand

	T[°C]	$\Sigma\text{Cl}[\text{ppm}]$	pH	$\Sigma\text{Na}[\text{ppm}]$	$\Sigma\text{K}[\text{ppm}]$	$\Sigma\text{Ca}[\text{ppm}]$	$\text{H}_2\text{S}[\text{ppm}]$	$\text{CO}_2[\text{ppm}]$
obsv	261°C	1238	6.3	705	150	5.0	72	4,104
calc	261°C	1238	6.7	751	104	6.5	50	139

Mahio, Philippines

obsv	324°C	9124	5.8	5018	1379	122	85	2,945
calc	324 °C	9124	5.8	4908	1428	269	104	11,682

The choice of daphnite as a buffer mineral is, as pointed out by Giggenbach (1980), dictated by increase in the $m_{\text{H}_2}/m_{\text{H}_2\text{S}}$ ratio observed with increasing temperature in geothermal systems. Figure 7 shows the variation in this ratio, calculated for the model in Table 1, is similar to that observed in geothermal systems. The trend of the calculated curves does not agree with the observed data if pyrrhotite is used instead of daphnite. Perhaps most importantly chlorite is a common alteration mineral in hydrothermal systems, pyrrhotite is not.

Figure 8 compares the H_2CO_3 concentration predicted by Giggenbach's (1981) plagioclase-calcite-clay model and the EQ3 model of Table 1 to values observed in geothermal systems. H_2CO_3 concentrations in geothermal solutions are important as a general check on the validity of solution chemistry models (our main interest in this paper). They are also important in controlling the depth at which boiling begins, but are significant in this regard only at temperatures greater than 250°. Our model agrees well with Giggenbach's but both our model and Giggenbach's have a different temperature trend than the geothermal data. Nevertheless the data and models agree fairly well at temperatures above 250°. Results in our model depend on the extrapolation of the dissociation constant for H_2CO_3 from 220°C to higher temperatures (see appendix discussion). The difference in trend between the theoretical H_2CO_3 calculations and geothermal data warrants further investigation, but is not critical to our present purposes because gold solubility does not depend on CO_2 chemistry.

Figures 4-8 show the model of Table 1 simulates the chemistry of deep pre-boiled solutions in presently-active geothermal systems reasonably well. It matches the geochemistry and pH of geothermal systems well at low (~ 1000 ppm Cl) salinities and has the correct general dependence of pH and chemistry on salinity. Individual geothermal systems may vary slightly from this general model (see Figure 11 and Ragnarsdottir et al., 1984). Arnorsson has pointed out, however, that most silicate minerals have similar solubilities. This means mineralogic or rock

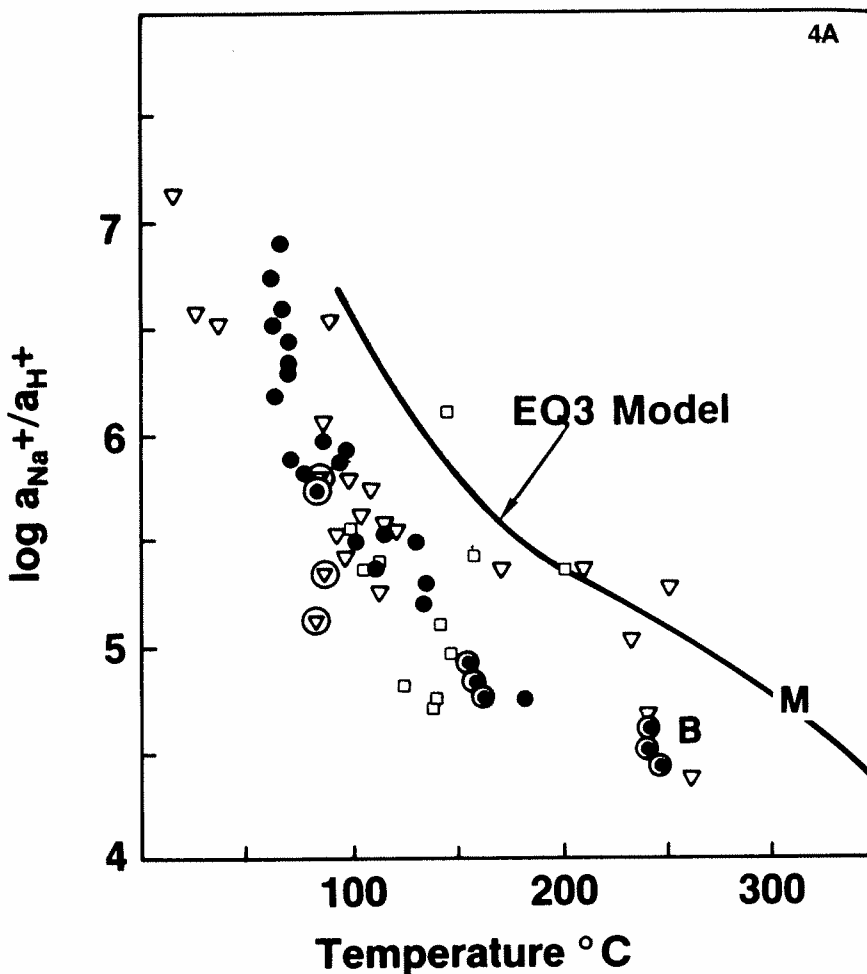
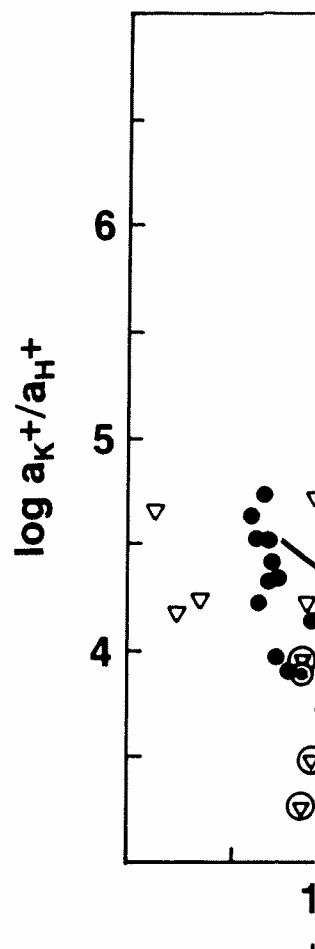
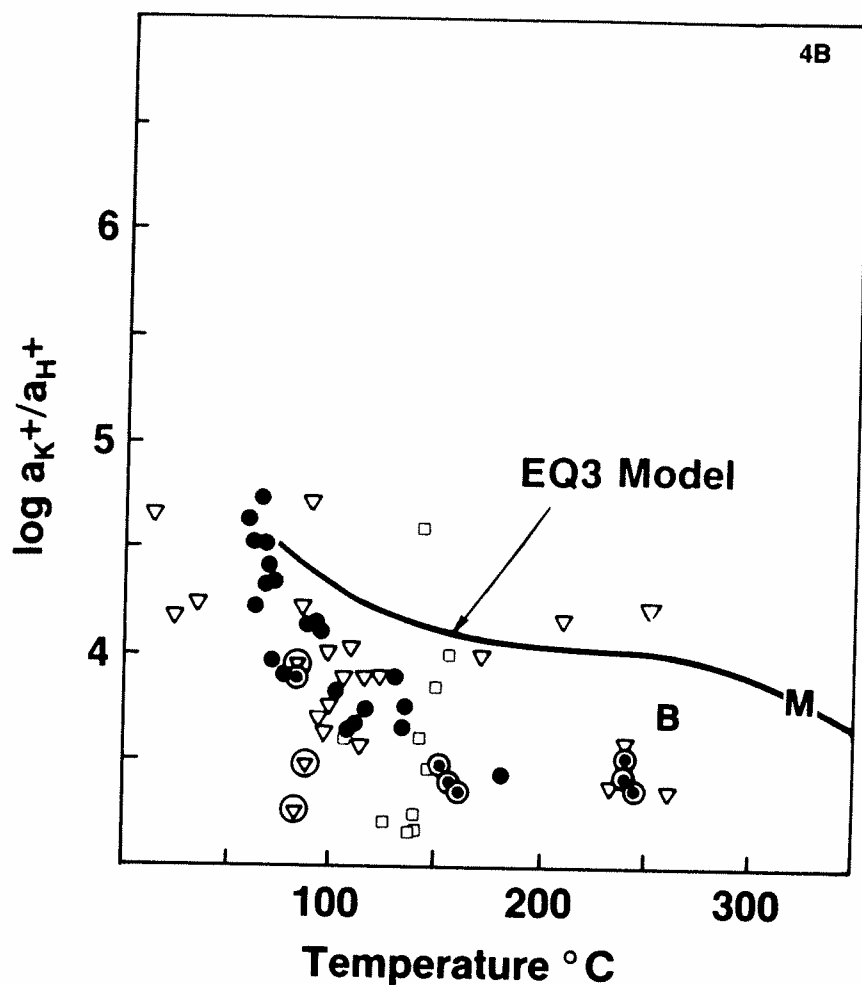


Fig. 4A,B,C Activities of aqueous species in geothermal waters from Iceland, measured by Arnorsson et al (1983), are compared to the activities predicted by the EQ3 model of Table 1. Filled circles represent unmixed drillhole discharges and are the most reliable data. Triangles represent mixed drillhole discharges and non-boiling hot springs, squares boiling hot springs. The two analyses from New Zealand (Broadlands) and the Philippines (Mahio) listed in Table 2 have been added to Arnorsson et al's original diagrams, assuming the activity of coefficients are as calculated by the EQ3 model for the temperatures and salinities of these locations. The curves predicted by the EQ3 model of Table 1 have also been added to the diagram. The salinity of the Iceland waters plotted in this figure are generally low (less than a few hundred ppm Cl, Arnorsson et al, 1983a, Table 2 and 3).

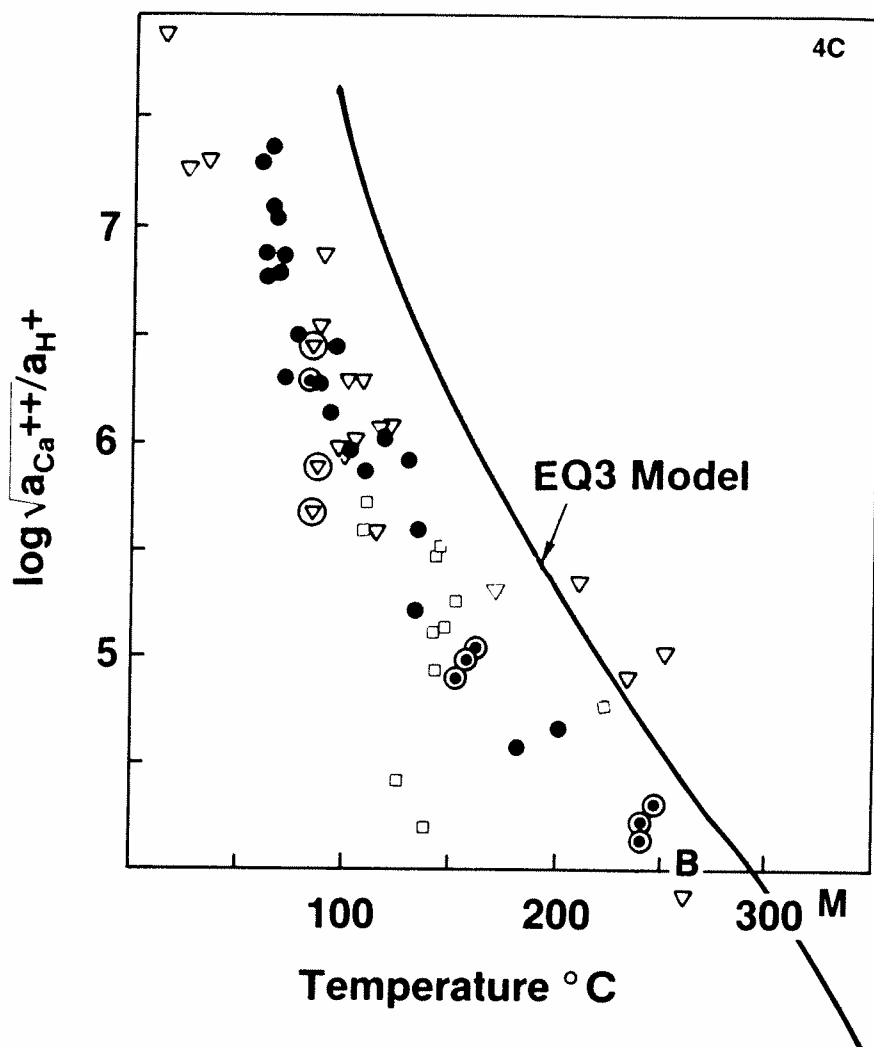


type differences have only a small effect (Arnorsson et al, 1983; Arnorsson et al, 1983; Arnorsson et al, 1983). The alteration of Iceland, the rhyolites of New Zealand, the rhyolites of the Philippines (ie., low silica). The H_2S concentration depends on the temperature and the salinity. The model in Table 1 is thus a good approximation for these systems and consequently provides a good basis for investigating the geologic solubility of bisulfide complexes are included.



type differences have only a minor influence on solution chemistry (Arnorsson, 1983; Arnorsson et al, 1983a). Brown (1978) states the main influence of rock type on alteration at temperatures above about 280°C is through differences in permeability. The alteration mineral assemblage is the same in the basalts of Iceland, the rhyolites of New Zealand, and the andesites of Indonesia. At lower temperatures, rock type dictates only fairly minor differences in alteration mineralogy (ie., low silica zeolites in basalts, high silica zeolites in rhyolites). The H_2S concentration dictated by the pyrite-daphnite-magnetite buffer also appears to be relatively insensitive to geologically reasonable changes in that buffer. The model in Table 1 is thus robust and supported by observations in geothermal systems and consequently provides a reasonable background against which to investigate the geologic solubility of gold.

Figure 9 demonstrates that when Seward's (1973) dissociation constants for gold bisulfide complexes are incorporated into the EQ3 data base, the EQ3 program



adequately simulates Seward's experimental results. The dissolution constants for the $\text{HAu}(\text{HS})_2^\circ$ complex have been deduced from Seward's paper (Figure 6), and are given, with others, in the appendix.

The Geologic Solubility of Gold as a Function of Temperature and Salinity:

Figure 10 shows the silicate- and sulfide-buffered (Table 1 EQ3 model) solubility of gold as a function of temperature for 1000 ppm Cl^- solutions. The solubility of gold increases with increasing temperature up to about 300°C and then decreases sharply as temperature increases further. The increase to 300°C is due primarily to the increased solubility of Au^+ and HS^- . The drop above 300°C results from a sharp decrease in the concentration of the HS^- gold ligand. The drop in HS^-

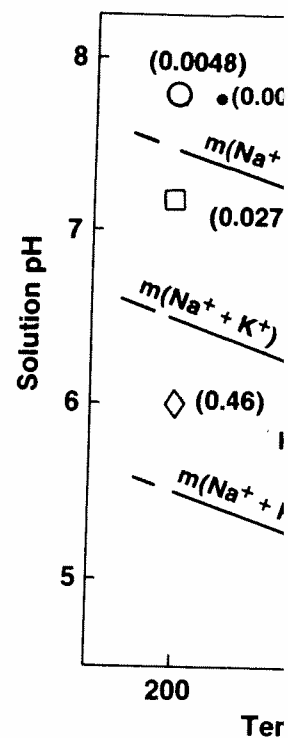


Fig. 5 The pH and m_{Na^+} plus predictions of the empiric predictions of the EQ3 model deteriorates at higher salinity et al (1984).

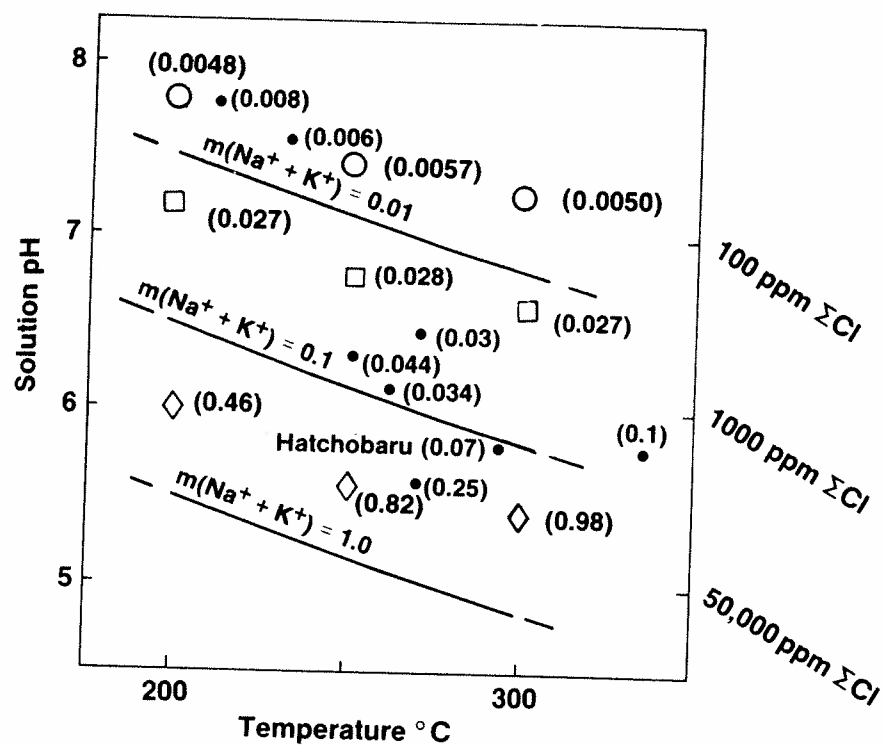


Fig. 5 The pH and m_{Na} plus m_K values of geothermal wells (solid points) and the predictions of the empirical Na-K geothermometer (lines) are compared to the predictions of the EQ3 model of Table 1. Agreement is good at low salinities but deteriorates at higher salinities and temperatures. The base diagram is from Henley et al (1984).

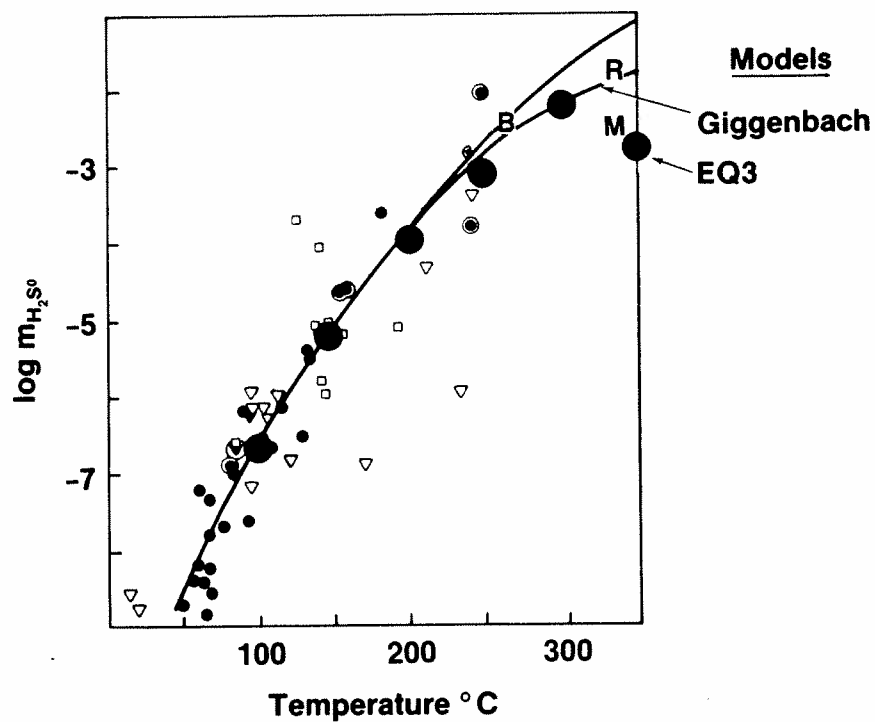


Fig. 6 m_{H_2S} in Iceland geothermal solutions (from Arnorsson et al, 1983) compared to the equilibrium concentrations predicted by Giggenbach (1981; P_{H_2S} converted to $H_2S[aq]$ using Henries Law constants from Drummond, 1981) and the EQ3 model in Table 1. The upper solid line is a best fit to the observed geothermal data (Arnorsson et al, 1983a, Table 5). Data symbol conventions are the same as in Figure 4. R is data from deep unboiled fluids at Rotakawa, New Zealand (324°C, 600-700 ppm H_2S , Seward, p.c., August 1985).



Fig. 7 Comparison of the H_2/H_2S (Giggenbach, 1980) to that calculated about 200°C the molal concentration of H_2S (reasonable), the Table 1 model, and the geothermal data.

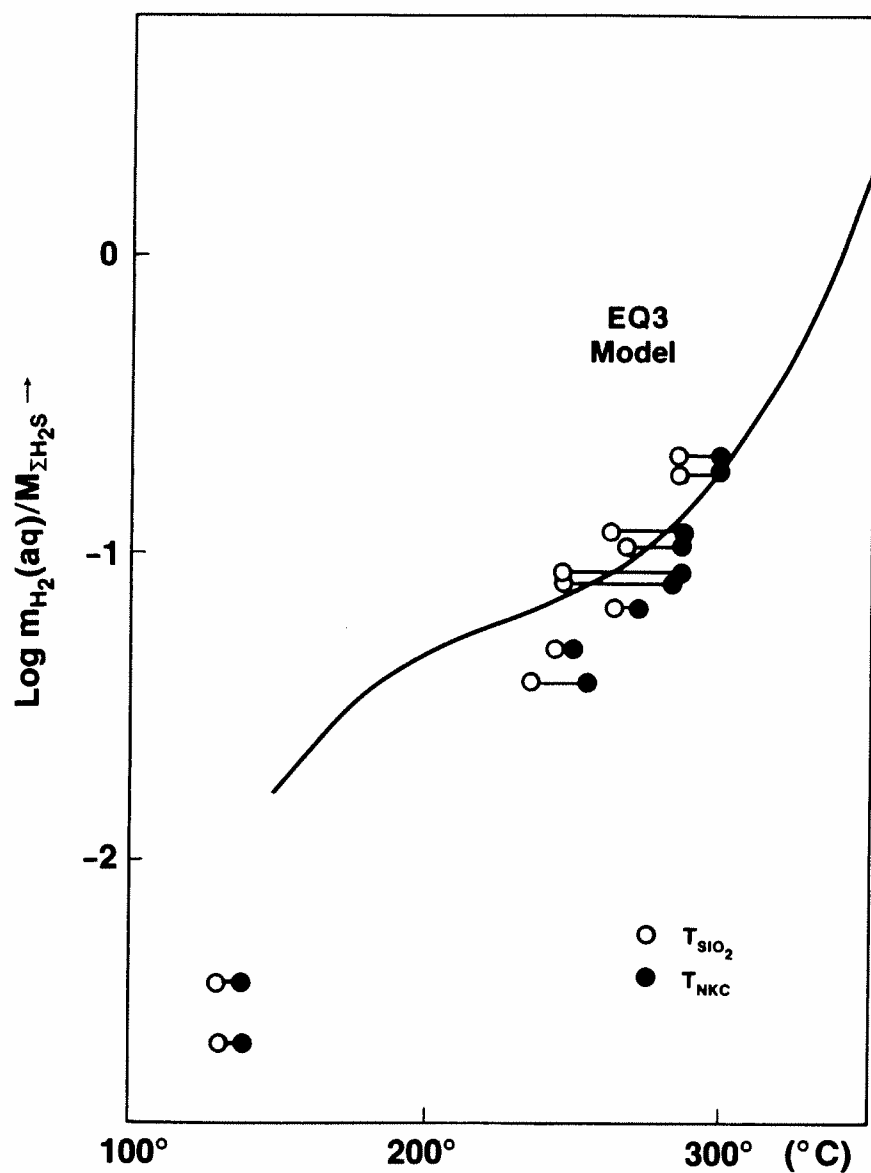


Fig. 7 Comparison of the H_2/H_2S+HS^- ratio observed in geothermal systems (Giggenbach, 1980) to that calculated by the Table 1 EQ3 model. At temperatures below about 200°C the molal concentrations of HS^- exceeds that of H_2S . Assuming the geothermal data measures H_2S+HS^- (which given the measurement method is reasonable), the Table 1 model provides a good simulation of the observed geothermal data.

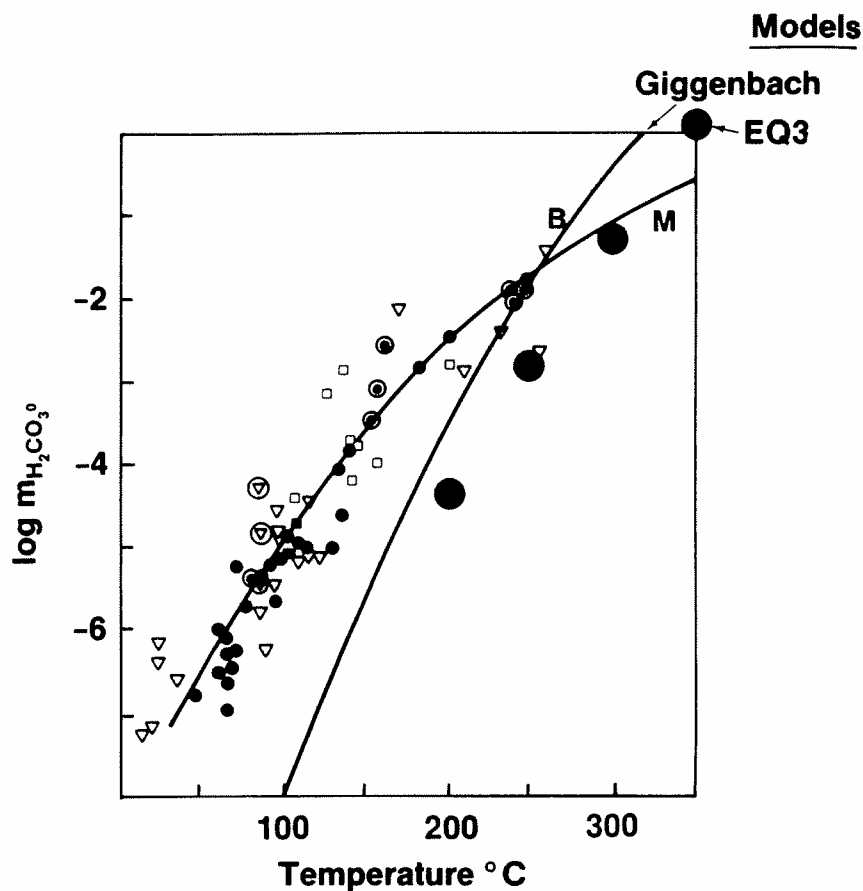


Fig. 8 $m_{H_2CO_3}$ in Iceland geothermal solutions (from Arnorsson et al, 1983) compared to the equilibrium concentrations predicted by Giggenbach (1981); P_{CO_2} converted to $m_{\Sigma CO_2}[aq]$ using α in Elder, 1981, p204) and the EQ3 model in Table 1. Data symbol conventions are the same as in Figure 4. The unlabelled solid line is a best fit to the geothermal data (Arnorsson et al, 1983a, Table 5).

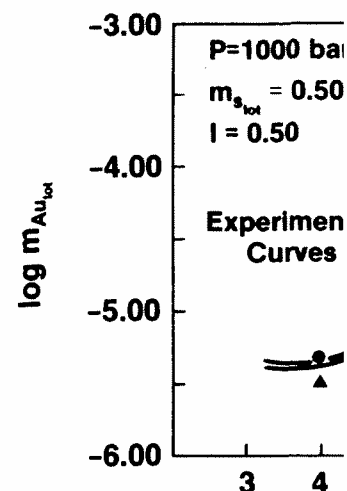


Fig. 9 Experimental gold concentrations to the gold concentrations predicted by the model (T, pH, and $m_{\Sigma S}$ specific for the gold bisulfide).

concentration between 300 and 400°C. A dissociation constant (appended in pH (Figure 5), and half of 300°C (Figure 6).

A drop or at least plateauing appears fairly certain. The temperature rests on a clear trend (Figure 6), this increase by the decrease in the H_2S dissociation constant to better solubility of gold unchanged.

The cause of the geological are apparent from the calculation the solubility of gold as indicated by Figure 3 (which by equation (2) decreases and because the activity of H_2 the solubility of gold by 3 orders of magnitude).

Figure 11 shows the solubility of gold is greatly enhanced at greater concentrations of the

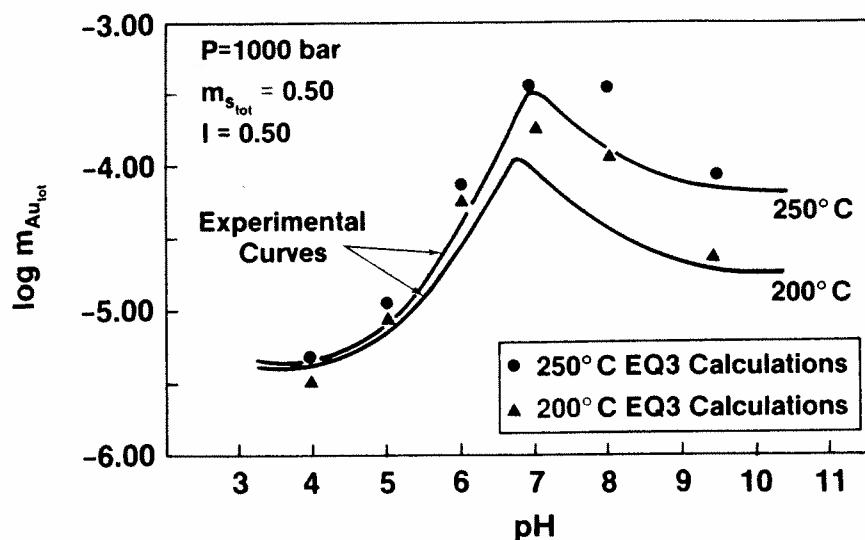


Fig. 9 Experimental gold concentrations measured by Seward (1973) compared to the gold concentrations predicted by EQ3 under the same experimental conditions (T , pH , and $m_{s_{tot}}$ specified; equilibrium with pyrite and pyrrhotite). See appendix for the gold bisulfide dissociation constants used in the calculations.

concentration between 300 and 350°C results half from a decrease in the H_2S dissociation constant (appendix), offset slightly by a small (0.08 unit) decrease in pH (Figure 5), and half from a decrease in the concentration of H_2S above 300°C (Figure 6).

A drop or at least plateauing of geologic gold bisulfide solubility above $\sim 300^\circ C$ appears fairly certain. The decrease in the H_2S dissociation constant with temperature rests on a clear extrapolation of experimental data covering 20° to $276^\circ C$ (see appendix discussion). If H_2S increases according to the Giggenbach trend (Figure 6), this increase above $300^\circ C$ would still be more than outweighed by the decrease in the H_2S dissociation constant above $300^\circ C$; HS^- and Au concentrations would still drop. If the H_2S trend is that indicated by Arnorsson (Figure 6), the geologic solubility of gold would plateau at $\sim 300^\circ C$. Changing the H_2S dissociation constant to better fit Arnorsson's H_2S trend would leave the retrograde solubility of gold unchanged (see appendix discussion).

The cause of the geologically misleading gold solubilities shown in Figure 3 are apparent from the calculations that led to Figure 10. At $200^\circ C$ for example, the solubility of gold as indicated in Figure 10 is 5 orders of magnitude lower than suggested by Figure 3 mainly because f_{O_2} is 10 orders of magnitude lower (which by equation (2) decreases the gold solubility by 2.25 orders of magnitude), and because the activity of H_2S is 1.5 orders of magnitude lower (which decreases the solubility of gold by 3 orders of magnitude).

Figure 11 shows the solubility of gold at $300^\circ C$ as a function of salinity. Gold solubility is greatly enhanced in low salinity solutions. The reason is that much greater concentrations of the HS^- gold ligand are present in low salinity solutions.

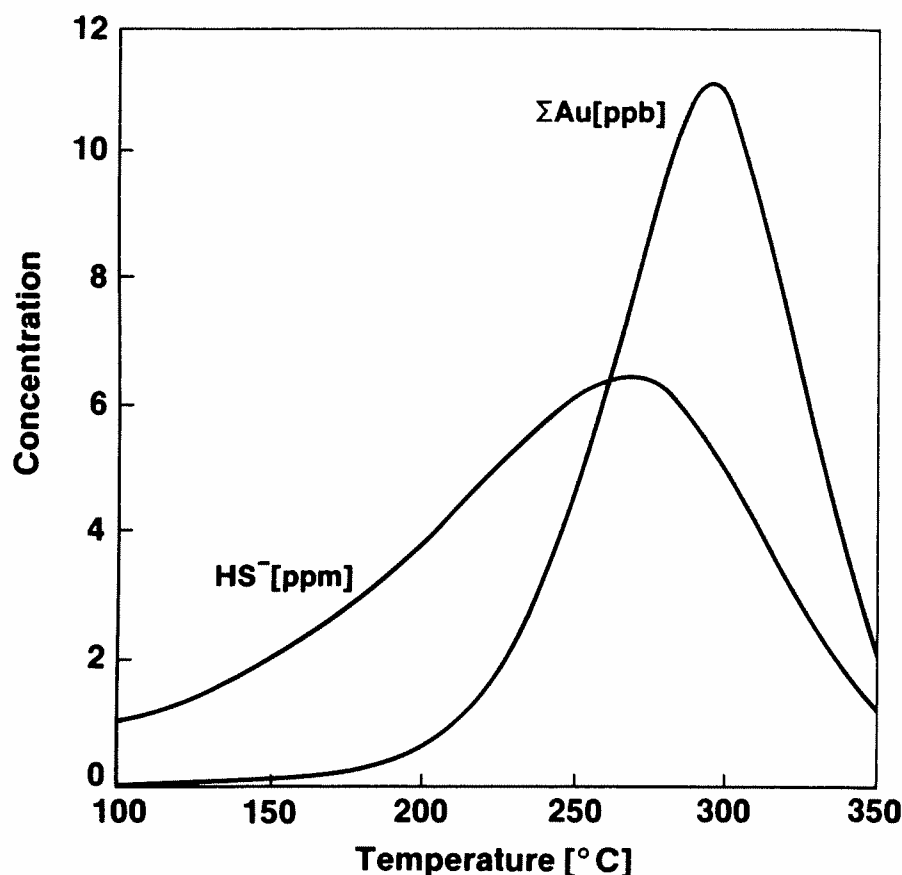


Fig. 10 The geologic solubility of gold and HS^- as a function of temperature for 1000 ppm total Cl solutions. Concentrations are calculated by EQ3 for the model listed in Table 1.

The greater abundance of HS^- in low salinity solutions can be easily understood. Ellis (1971) showed that the common silicate minerals (with which we require our solutions to be in equilibrium) control the ratio of cations like Na^+ , K^+ , and Ca^{++} to H^+ (Figure 12; see also Figure 4). Increasing solution salinity, by charge balance, increases the abundance of Na^+ , K^+ , and Ca^{++} , and hence requires the activity of H^+ to increase (i.e. the pH to decrease as shown in Figure 5). An increase in H^+ activity drives the reaction $\text{HS}^- + \text{H}^+ = \text{H}_2\text{S}$ to the right, and decreases the activity of HS^- .

The decrease in gold solubility with increasing salinity is solidly indicated by geochemical data and observations: The general decrease in pH with increasing salinity for constant temperature solutions is firmly indicated both observationally and theoretically (Figure 5). The pH dependence of the dissociation reaction for H_2S cannot be questioned.

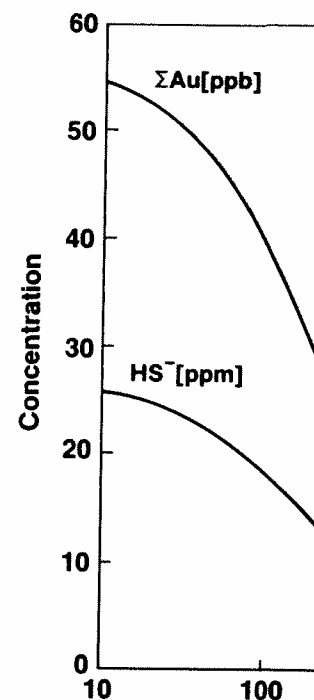


Fig. 11 The geologic solubility of silver as chloride complexes of metals for which chloride must contribute to the solubility in geothermal wells in New Zealand. Concentrations calculated by EQ3 for the model listed in Table 1.

DISCUSSION

As discussed in the previous section, the changes in the Table 1 model of gold solubility with increasing salinity could become important at high salinity where decreasing gold solubility with increasing salinity would be important.

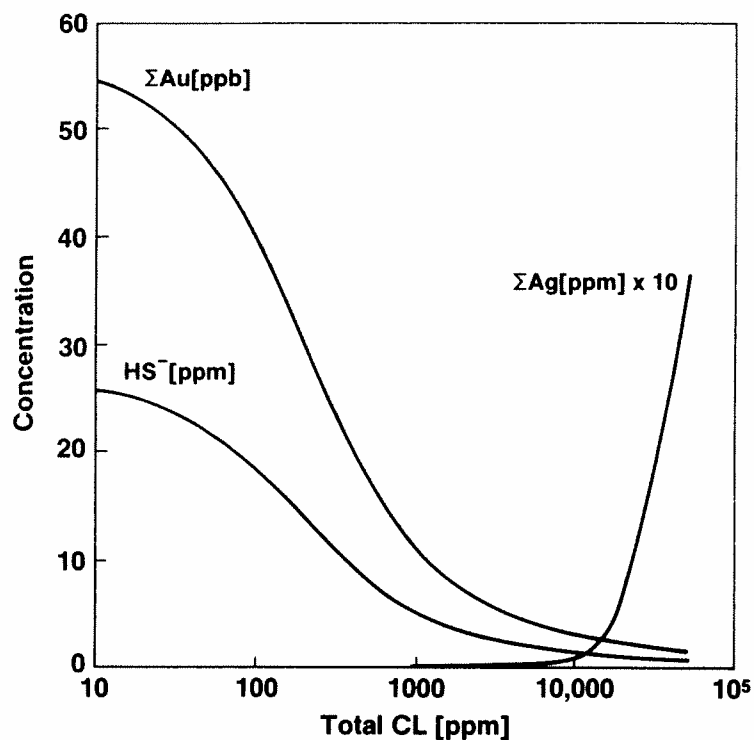


Fig. 11 The geologic solubility of gold in 300°C solutions as a function of salinity. Concentrations calculated by EQ3 for the model listed in Table 1. The solubility of silver as chloride complexes is shown to illustrate the general salinity dependence of metals for which chloride ligands are dominant. Recent studies of precipitates in geothermal wells in New Zealand indicates that complexes other than chloride must contribute to the solubility of silver (Brown, submitted). The silver curve should not therefore be taken literally but simply as a proxy for base metals that are carried as Cl complexes.

DISCUSSION

As discussed in the previous section, the major aspects of the geologic solubility of gold shown in Figures 10 and 11 appear to be relatively insensitive to reasonable changes in the Table 1 model. Probably the main uncertainty in the geologic solubility of gold is the possibility that gold complexes other than those included in the EQ3 data base could be important. In particular, gold chloride complexes could become important at higher salinities and reverse completely the trend of decreasing gold solubility with increasing salinity that is dictated by the gold-bisulfide complexes.

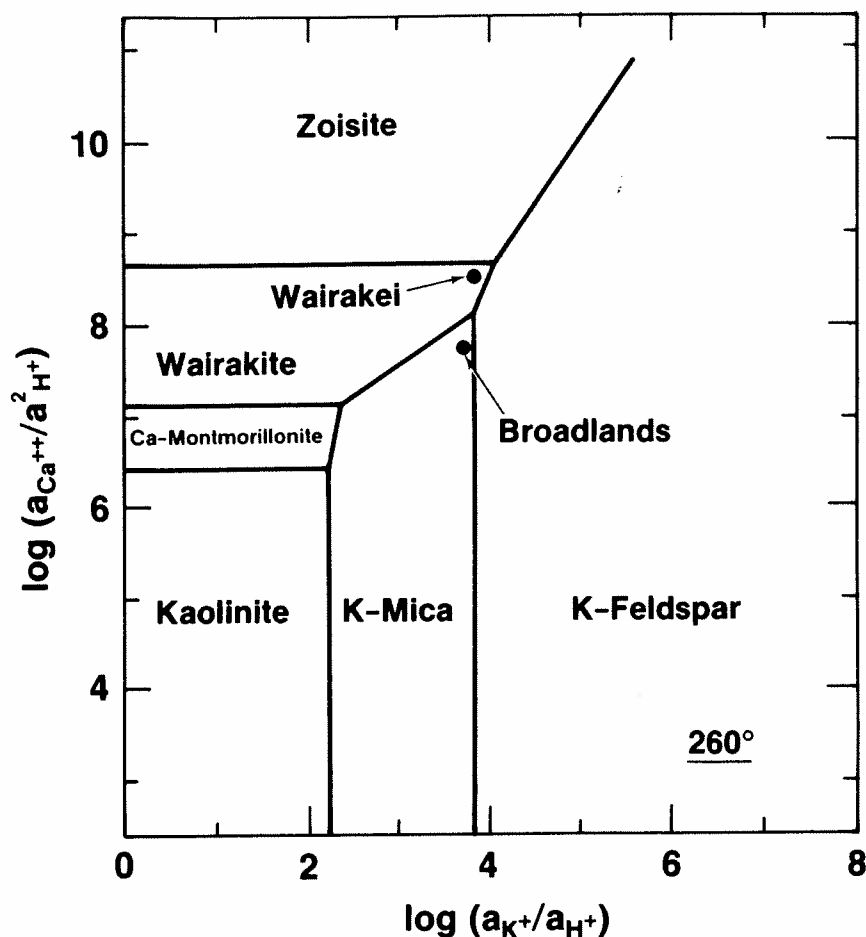


Fig. 12 Common silicate minerals fix the ratio of cations to hydrogen. For this reason increases in salinity lead to a drop in solution pH (Ellis, 1970). Figure is simplified slightly from Ellis (1970).

It is unlikely gold chloride complexes are important under the conditions considered in this paper. The calculations made include dissociation constants for AuCl_2^- and AuCl_4^- (Helgeson, 1969; see appendix). At 50,000 ppm ΣCl^- , the concentration of gold as AuCl_2^- under the conditions of the Table 1 model and 300°C is only 2 parts per trillion. Henley (personal communication, 1985) has recently carried out new experiments on gold-chloride complexing and reexamined the gold-chloride solubility question. He concludes chloride complexes do not contribute to gold solubility in geothermal systems such as those considered here, although they may become important at temperatures above 500°C. Finally, gold

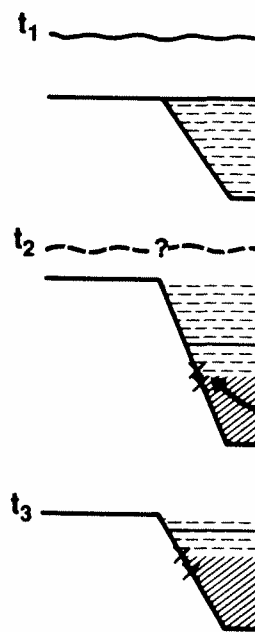


Fig. 13 Cartoon illustrating in an evolving greenstone basin, the belt is intruded by a dike. Deposits on the sea floor (a) are formed. Infilling of the basin with minerals dewater, and the dike decompresses from lithostatic pressure. This will most likely occur at the grade metamorphic boundary. Finally uplift and erosion of the basin, similar to that observed in the seawater which precipitated the metamorphic dewatering fluid for the different metal contents.

complexes other than bisulfide gold in natural geothermal systems.

The dependence of gold solubility on pH is quite sensitive because it can explain the gold-poor, and base metal-poor nature of the fluid, and is able to carry more gold than the chloride ligands. Conversely, base metals are less able to form vein deposits and the base-metal

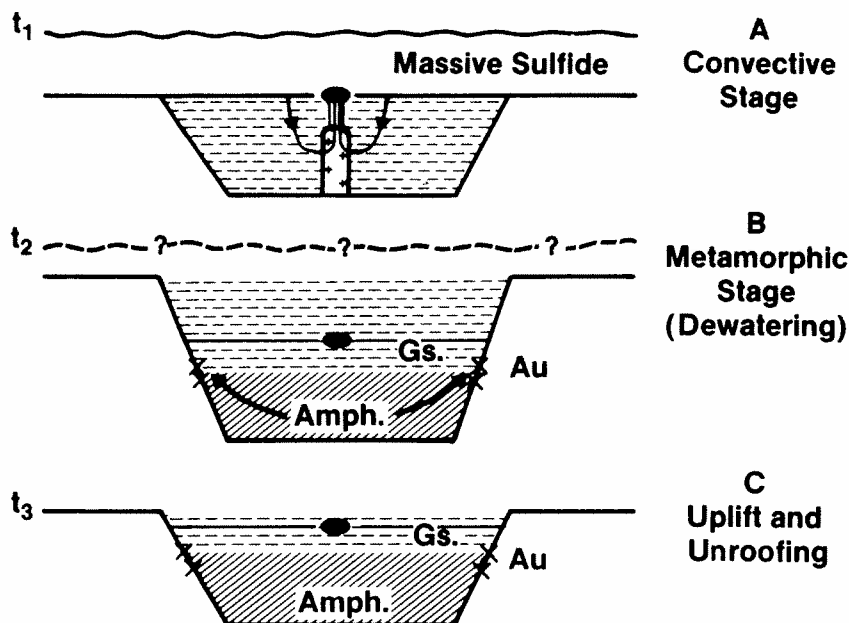


Fig. 13 Cartoon illustrating the formation of massive sulfide and lode gold deposits in an evolving greenstone belt. During the period of most active rifting and extension, the belt is intruded by magmas, and seawater convection forms massive sulfide deposits on the sea floor (A).

Infilling of the basin with volcanics causes burial metamorphism. Hydrous minerals dehydrate, and lode gold deposits are formed where these low-salinity fluids decompress from lithostatic to hydrostatic pressures. For reasons discussed in the text this will most likely occur at border faults near the amphibolite-greenstone grade metamorphic boundary (B).

Finally uplift and erosion unroofs the deposits leaving them in a spatial configuration similar to that observed (Figure 2). The difference in salinity between seawater which precipitated the massive sulfide deposits, and the low-salinity metamorphic dewatering fluids that precipitated the lode gold deposits, accounts for the different metal contents of the deposits.

complexes other than bisulfide are not needed to explain the concentrations of gold in natural geothermal systems.

The dependence of gold solubility (as bisulfide complexes) on salinity is attractive because it can explain the observed bimodal populations of base metal-rich gold-poor, and base metal-poor gold-rich deposits. Low salinity solutions are HS^- rich and able to carry more gold. At the same time they are Cl^- poor and thus able to carry very little of the base metals which are complexed and carried by chloride ligands. Conversely saline hydrothermal fluids are better able to carry base metals but less able to carry gold. The bimodal population of epithermal vein deposits and the base-metal-poor nature of lode gold deposits can thus be

explained if gold deposits are formed by the aegis of low salinity hydrothermal solutions, and base metal deposits by solutions with seawater or greater salinities.

Low salinity solutions are found primarily in two environments: subaerial where there are no evaporites, and metamorphic where hydrated minerals are broken down. These are two important environments for gold deposits (which are referred to here as epithermal and greenstone-hosted respectively).

The geographic relationship of lode gold and massive sulfide deposits in greenstone belts can be understood in terms of the natural evolution of a volcanic basin (Figure 13). Rifting causes the crust to be intruded by bimodal magmas (Figure 13a). The resulting hydrothermal convection in a submarine setting (Cathles et al, 1983) deposits massive sulfide along the axis of rifting. As the volcanic pile accumulates, temperatures in the deeper parts of the pile increase, and the pile is metamorphosed. Transition from the greenstone to amphibolite facies expels the low-salinity water from hydrated minerals (Fyfe and Kerrich, 1983). This water is expelled preferentially through major faults. Gold is precipitated as a consequence of H_2S loss where the solutions decompress from lithostatic to hydrostatic pressures. Since rock permeability seems to decrease markedly at temperatures above about $350^\circ C$ (Cathles, 1983), this pressure drop is likely to occur near the greenschist-amphibolite grade metamorphic boundary. Greenstone-hosted gold deposits are indeed found near this boundary along major faults or shear zones (Figure 2, 13b).

Uplift and erosion (perhaps associated with the termination of crustal extension, Cathles et al, 1983) unroofs the greenstone belt as illustrated in Figure 12C, exposing rocks of greenstone grade, and juxtaposing massive sulfide and lode gold deposits in a geographic configuration similar to that of Figure 2.

The $300^\circ C$ optimum in geologic gold solubility may explain why epithermal gold veins appear to have deposited from solutions with lower maximum temperatures than massive sulfide deposits.

SUMMARY AND CONCLUSIONS

(1) A silicate- and sulfide-buffered EQ3 model was developed that simulates the major element chemistry and pH of geothermal systems in common rock environments reasonably accurately (Table 1, Figures 4-8).

(2) Bisulfide gold complexes were incorporated in the EQ3 data base and it was verified that experimental gold solubilities are duplicated by EQ3 calculations (Figure 9).

(3) The silicate- and sulfide-buffered model was used together with the gold solubility data to investigate the solubility of gold in natural geologic environments. It was shown that the geologic solubility of gold is a maximum in low salinity solutions (Figure 11), and that the geologic solubility of gold is probably retrograde above $\sim 300^\circ C$ (Figure 10).

(4) The enhanced solubility of gold in low salinity solutions can explain the bimodal gold and base metal distributions in deposits (Figure 1).

(5) The low salinity solutions needed to form gold deposits are found primarily in subaerial environments where there are no evaporites, and in metamorphic environments where hydrated minerals are broken down. It may be useful to distinguish

gold deposited in these two settings. Ocean massive sulfide is greatly reduced in fluids.

(6) The distribution of lode gold belts can be explained if the seawater convection, and the metamorphic dewatering of the pile.

(7) Analysis of metal solubility as the Table 1 EQ3 model matches geochemical data requires significant modification to be useful for cleanly deducing

ACKNOWLEDGEMENTS

I would like to particularly thank the staff of EQ3 and the appendix, Terri Bowler for discussions and council on a number of questions regarding the possible impact of gold chloride on the work on the H_2/H_2S system and iron aluminum silicate systems. Scott and Dick, and also to the Research Company for support.

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gold deposited in these two settings as "epithermal" and "greenstone-hosted" respectively. Ocean massive sulfide deposits contain little gold because gold solubility is greatly reduced in fluids of sea water salinity.

(6) The distribution of lode gold and massive sulfide deposits in greenstone belts can be explained if the massive sulfide deposits formed by intrusive-driven seawater convection, and the lode gold deposits formed by the later low-salinity metamorphic dewatering of the accumulating volcanic pile (Figure 12).

(7) Analysis of metal solubility in silicate- and sulfide-buffered solutions such as the Table 1 EQ3 model may be generally useful in clarifying the geologic implications of geochemical data. Even if the gold complexes used here ultimately require significant modifications or additions, the geologic model of Table 1 should be useful for cleanly deducing the geologic implications of the new complexes.

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I would like to particularly thank Terri Bowers for introducing me to the value and intricacies of EQ3 and for helping to refine the geochemical data base given in the appendix, Terri Bowers, Bill Hallager, and Bob Bodnar for innumerable discussions and council on a great many questions of solution chemistry, and Tom Wolery for producing and publishing the EQ3 program and for answering several questions regarding the use of it. A reviewer, Scott Wood, emphasized the possible impact of gold chloride complexes. Dick Henley drew my attention to Giggenbach's work on the H_2/H_2S ratio in geothermal fluids and the fact this suggests an iron aluminum silicate such as chlorite is a mineral buffer. I am grateful to Scott and Dick, and also to a second reviewer, Kieko Hattori, for suggestions that significantly improved this manuscript. I am indebted to the Chevron Oil Field Research Company for support of this work and for permission to publish.

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APPENDIX: The The

Most of the thermody-
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APPENDIX: The Thermodynamic data base

Most of the thermodynamic data for water, aqueous species, and minerals used in our calculations is from Wolery (1983) and is based on Helgeson (1969), Helgeson et al (1978, 1981). The data for silver chloride and gold bisulfide dissociation constants is from Seward (1976 and 1973). The dissociation constants for $\text{HAu}(\text{HS})_2^\circ$ were deduced from Seward (1973, Figure 6; note Seward's Figure 7 misidentifies the complex as AuHS° (Seward, pers. comm., 1985). The dissociation constant for H_2CO_3 has been experimentally determined only to 218°C (Plummer and Busenberg, 1982). We extrapolate the data to higher temperatures between Henley et al's (1984, Table 7.3) and Helgeson's (1969) extrapolations so as to approximately fit Giggenbach's (1981) theory and geothermal data (see Figure 8). The dissociation constant for H_2S at 350°C is obtained using a smooth extrapolation (Henley et al 1984, Table 8.1) from experimental data covering the temperature range 20° to 276°C (Ellis and Giggenbach, 1971, Table 1). This dissociation constant is an order of magnitude larger than that in Wolery's (1983) EQ3 data base. Iron hydroxide dissociation constants are taken from Tremaine and LeBlanc (1980). Their dissociation reactions were adjusted to allow incorporation into the EQ3 data base by Terry Bowers, acting as a consultant to Chevron. Terry demonstrated the dissociation constants listed below accurately simulate the experimental iron solubilities reported by Tremaine and LeBlanc.

Several comments should be made regarding the modified data base summarized in Table A-1. First the change in the H_2S dissociation constant affects the H_2S concentrations predicted by the pyrite-daphnite-magnetite buffer because HS^- is a product of the pyrite dissolution reaction in the EQ3 data base. If the H_2S dissociation constant was an order of magnitude smaller than indicated in Table A-1 at 350°C (as it was in the unmodified data base), the pyrite-daphnite-magnetite buffer would predict an H_2S concentration at 350°C close to the Giggenbach trend in Figure 6. The HS^- and gold concentrations at 350°C are unchanged by modifications in the H_2S dissociation constant, however. The better agreement between the observed and predicted H_2S concentrations in Figure 6 suggests a decrease in the 350°C H_2S dissociation constant may be reasonable, even though smooth extrapolation of experimental data suggests otherwise. If the data base were remodified in this fashion, the retrograde solubility of gold above 300°C would be unchanged.

Second the iron hydroxide complexes listed in Table A-1 significantly decrease the geologic solubility of iron indicated by the iron hydroxide dissociation constants in the unmodified EQ3 data base. The iron hydroxide dissociation constants in Wolery's EQ3 data base do not produce iron concentrations that agree with Tremaine and LeBlanc's data. Wolery's iron hydroxide dissociation constants predict ppm concentrations of iron under the geologic conditions of the Table 1 model. This hydroxide iron solubility is maximum at 300°C and would allow pyrite precipitation of a magnitude that could account for the pyrite in gold vein deposits. The iron hydroxide dissociation constants listed in Table A-1 predict very low iron concentrations under the geologic conditions of the Table 1 model. This very low iron solubility makes it difficult to account for the pyrite in gold veins without appealing to processes occurring in the vein itself (such as leaching of iron from the vein walls).

Table A-1

Log dissociation constants for aqueous species added or modified in the EQ3 data base for this study.

	100°	150°	200°	250°	300°	350°C
$\text{H}_2\text{CO}_3 = 2\text{H}^+ + \text{CO}_3^{=}$	-16.61	-17.04	-17.84	-19.26	-21.55	-24.96
$\text{H}_2\text{S} = \text{H}^+ + \text{HS}^-$	-6.62	-6.78	-7.15	-7.61	-8.05	-8.37
$\text{Au}(\text{HS})_2^- = \text{Au}^+ + 2\text{HS}^-$	-26.47	-23.40	-21.07	-19.41	-18.31	-17.70
$\text{Au}_2(\text{HS})_2\text{S}^{=}= 2\text{Au}^+ + 2\text{HS}^- + \text{S}^{=}$	-47.43	-40.85	-35.35	-31.05	-28.05	-26.48
$\text{HAu}(\text{HS})_2^0 = \text{Au}^+ + \text{H}^+ + 2\text{HS}^-$	-30.16	-27.81	-25.86	-24.36	-23.36	-22.91
$\text{AuCl}_2^- = \text{Au}^+ + 2\text{Cl}^-$	-7.49	-6.49	-6.25	-6.29	-6.17	-5.42*
$\text{AgCl} = \text{Ag}^+ + \text{Cl}^-$	-2.94	-2.82	-2.87	-3.11	-3.55	-4.21
$\text{AgCl}_2^- = \text{Ag}^+ + 2\text{Cl}^-$	-4.54	-4.40	-4.51	-4.86	-5.51	-6.51
$\text{AgCl}_3^{=}= \text{Ag}^+ + 3\text{Cl}^-$	-3.85	-3.73	-3.67	-3.67	-3.67	-3.67
$\text{AgCl}_4^{3-} = \text{Ag}^+ + 4\text{Cl}^-$	-1.94	-1.79	-1.61	-1.40	-1.19	-1.00
$\text{Fe}(\text{OH})^+ + \text{H}^+ = \text{Fe}^{++} + \text{H}_2\text{O}$	8.78	8.09	7.56	7.12	6.96	6.50
$\text{Fe}(\text{OH})_2 + 2\text{H}^+ = \text{Fe}^{++} + 2\text{H}_2\text{O}$	17.15	15.44	14.09	12.99	12.09	11.21
$\text{Fe}(\text{OH})_3^- + 3\text{H}^+ = \text{Fe}^{++} + 3\text{H}_2\text{O}$	28.11	25.63	23.68	22.10	20.80	19.50
$\text{Fe}(\text{OH})_3 + 2\text{H}^+ = \text{Fe}^{++} + 2.5\text{H}_2\text{O} + 0.25\text{O}_2(\text{g}, \text{aq})$	3.94	3.80	3.69	3.54	3.24	2.75
$\text{Fe}(\text{OH})_4^- + 3\text{H}^+ = \text{Fe}^{++} + 3.5\text{H}_2\text{O} + 0.25\text{O}_2(\text{g}, \text{aq})$	12.89	12.54	12.09	11.74	11.28	10.65

* Unchanged from Helgeson(1969) except for slight shifts caused by the polynomial fit of EQTL (see Wolery, 1983).

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IN THE**